

A Decision Tree-based Approach to Dynamic Pointcut Evaluation

Robert Dyer and Hridesh Rajan

Department of Computer Science
Iowa State University
{rdyer,hridesh}@cs.iastate.edu

October 19, 2008

- ▶ Motivation: Dynamic PCD Evaluation
- ▶ Approach: Decision-tree based Matching
- ▶ Technical Contributions:
 - ▶ Formalization of the PCD Evaluation problem
 - ▶ Algorithms using Decision-tree structures for faster matching
 - ▶ Use of implication relationships for partial evaluation of type predicates

a \in \mathcal{A} , the set of attributes
 o \in \mathcal{O} , the set of operators
 v \in \mathcal{V} , the set of values

$\mathbf{a} \in \mathcal{A}$, the set of attributes
 $\mathbf{o} \in \mathcal{O}$, the set of operators
 $\mathbf{v} \in \mathcal{V}$, the set of values

$\mathit{pred} ::= (\mathbf{a}, \mathbf{o}, \mathbf{v})$

$\mathit{fact} ::= (\mathbf{a}, \mathbf{v})$

$\mathbf{a} \in \mathcal{A}$, the set of attributes
 $\mathbf{o} \in \mathcal{O}$, the set of operators
 $\mathbf{v} \in \mathcal{V}$, the set of values

$pred ::= (\mathbf{a}, \mathbf{o}, \mathbf{v})$

$fact ::= (\mathbf{a}, \mathbf{v})$

$PCD ::= pred$

| (PCD)

| $pred \ \&\& \ PCD$

| $pred \ || \ PCD$

$join \ point ::= fact$

| $fact \ \&\& \ join \ point$

$\mathcal{A} ::= \{\mathit{modifier}, \mathit{type}, \mathit{name}\}$

$\mathcal{V} ::= \{\mathit{v} : \mathit{v} \text{ is a modifier, type or name in the program}\}$

$\mathcal{O} ::= \{==, !=\}$

$\mathcal{A} ::= \{ \mathit{modifier}, \mathit{type}, \mathit{name} \}$

$\mathcal{V} ::= \{ v : v \text{ is a modifier, type or name in the program} \}$

$\mathcal{O} ::= \{ ==, != \}$

Example PCD

(modifier, ==, public) && (type, !=, void) &&
(name, ==, "Set")

$\mathcal{A} ::= \{ \textit{modifier}, \textit{type}, \textit{name} \}$

$\mathcal{V} ::= \{ v : v \text{ is a modifier, type or name in the program} \}$

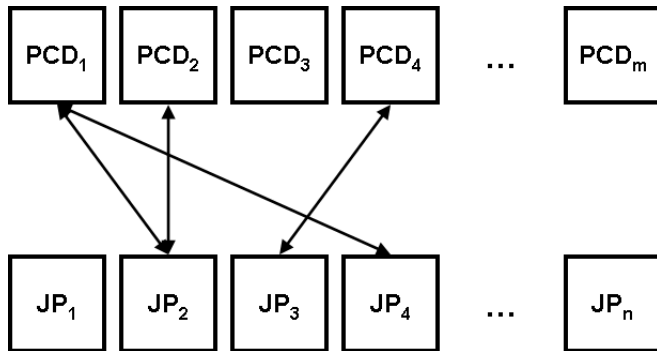
$\mathcal{O} ::= \{ ==, != \}$

Example PCD

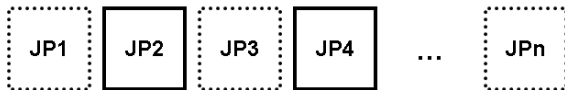
```
(modifier, ==, public) && (type, !=, void) &&  
(name, ==, "Set")
```

Example join point

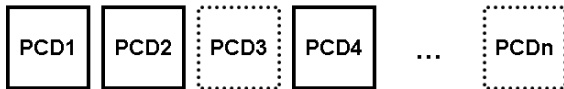
```
(modifier, public) && (type, FElement) &&  
(name, "Set")
```

- ▶ 2 ways of viewing the problem
 - ▶ **PCDEval'**

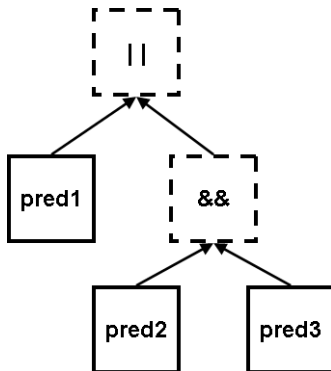


- ▶ 2 ways of viewing the problem
 - ▶ **PCDEval**

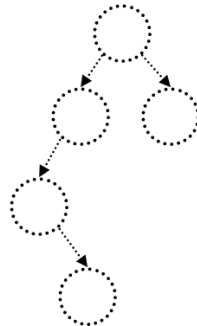
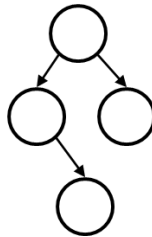
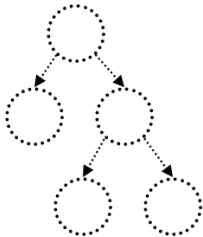
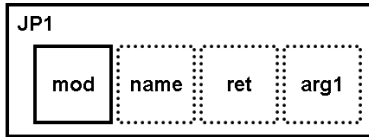


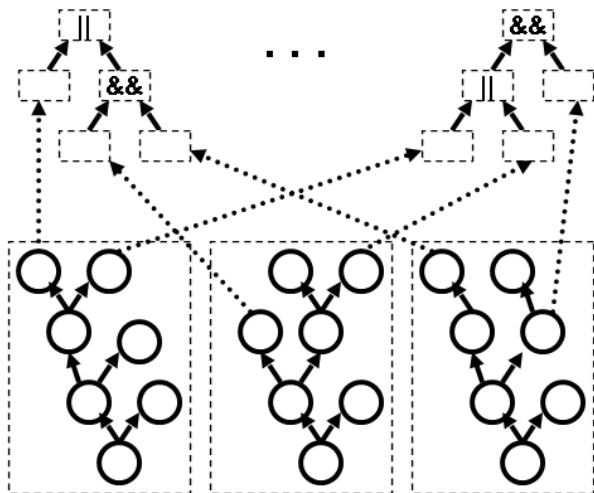
- ▶ Evaluation Algorithm overview
 - ▶ Order predicates for efficiency
 - ▶ Create PCD evaluation tree(s)
 - ▶ Add predicates to decision trees
 - ▶ Create links to parents

Consider the following PCD: $Pred1 \parallel (Pred2 \&\& Pred3)$



- ▶ Order predicates for efficiency
 - ▶ Modifiers are simple to match
 - ▶ Makes other decision-trees disjoint (smaller)



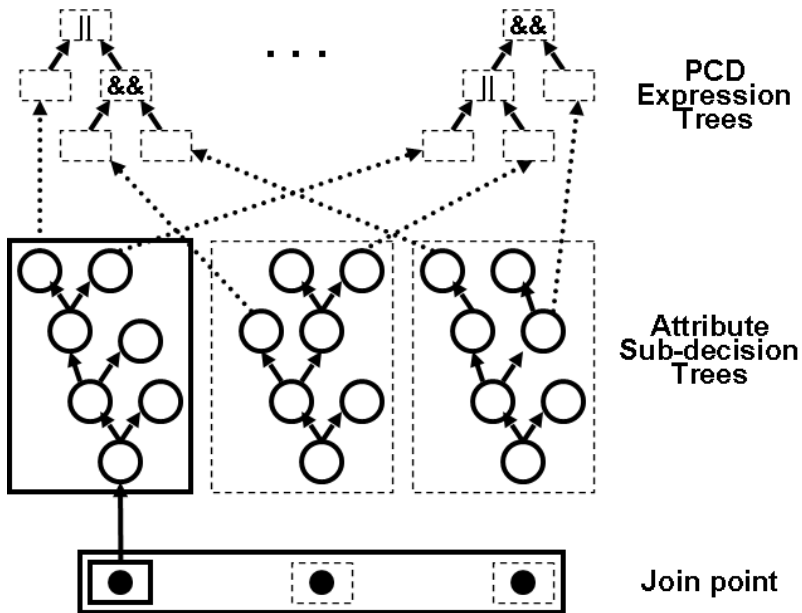


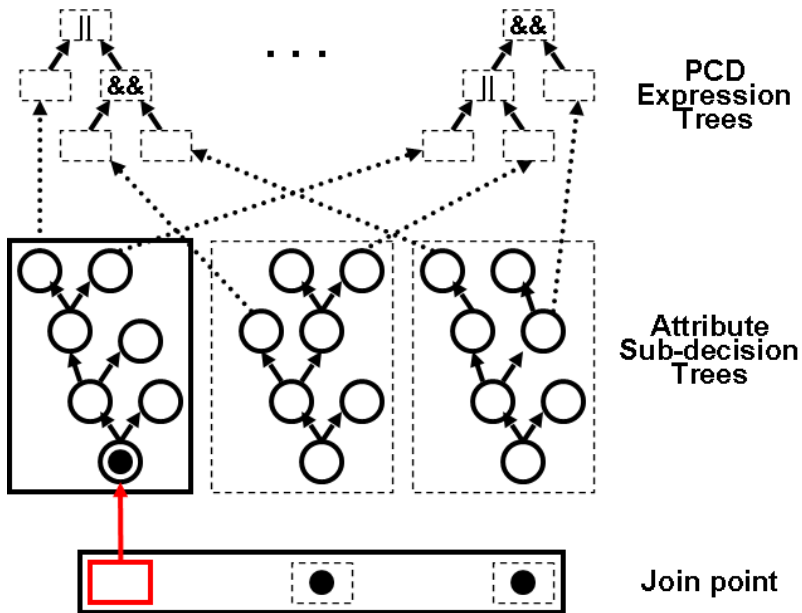
PCD
Expression
Trees

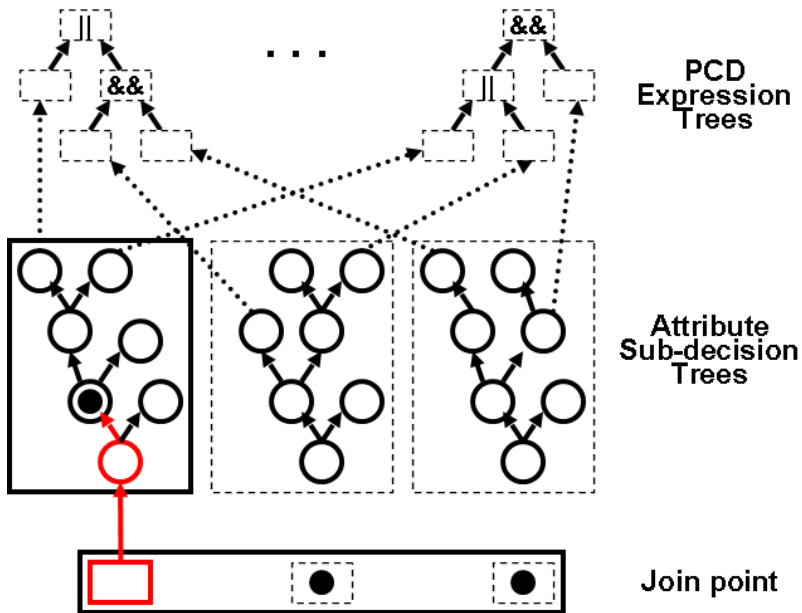
Attribute
Sub-decision
Trees

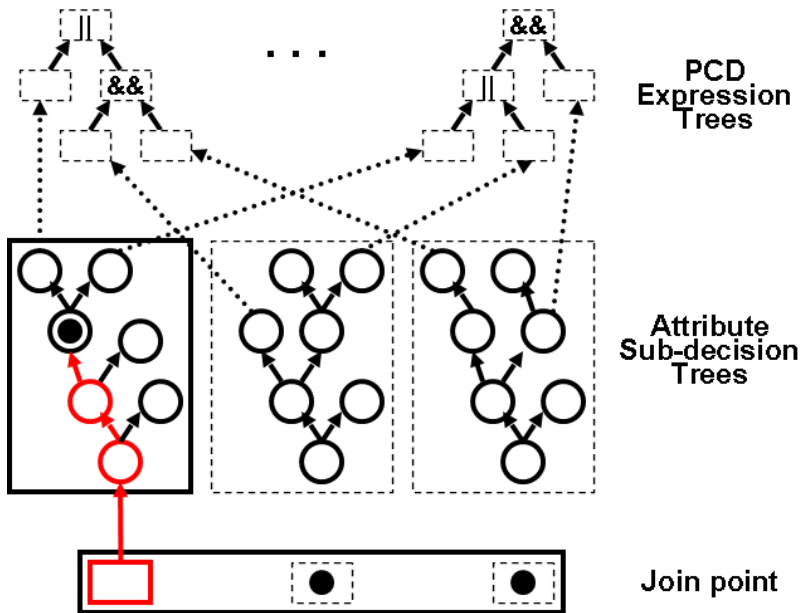


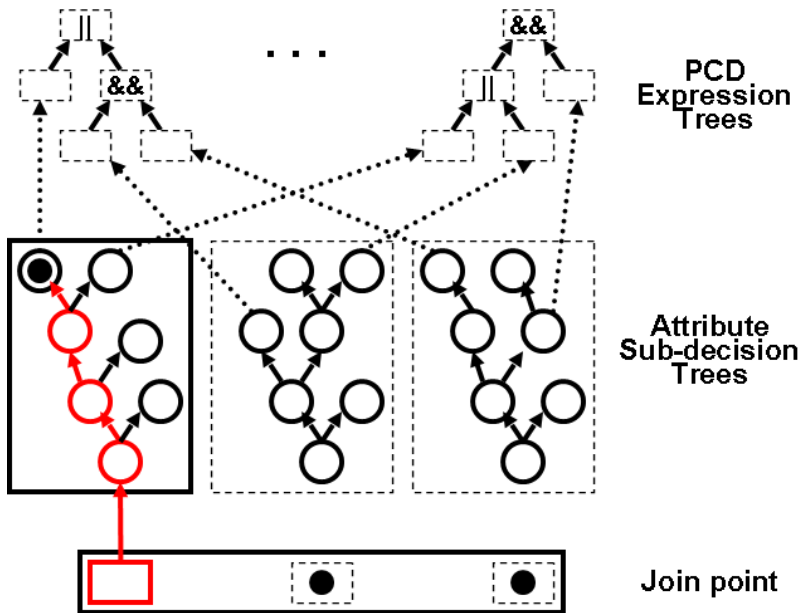
Join point

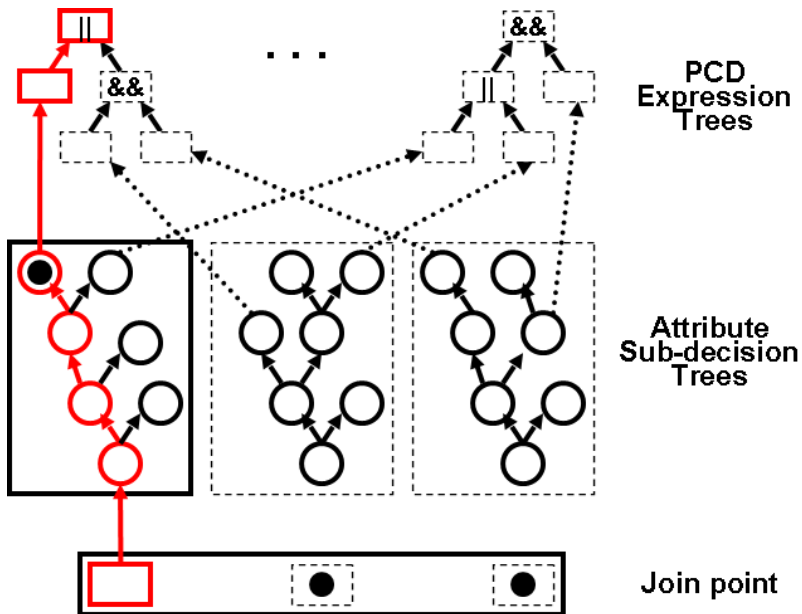


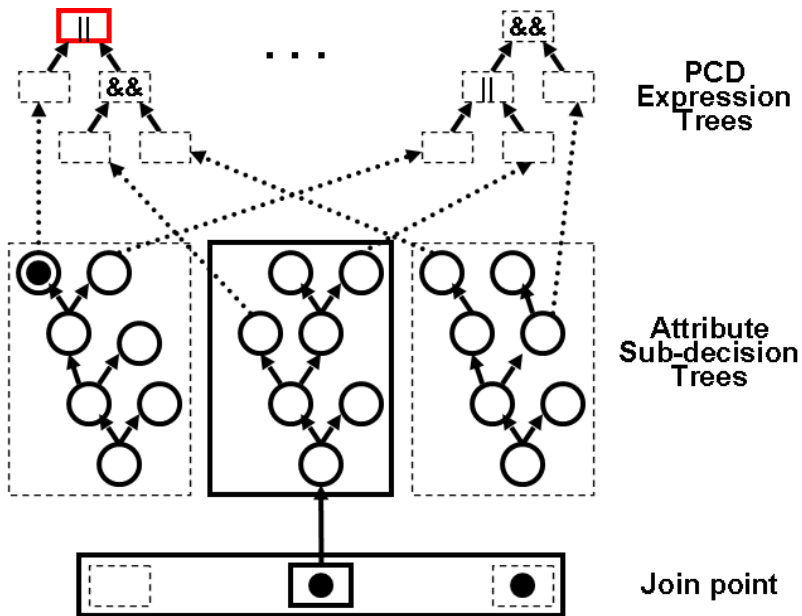


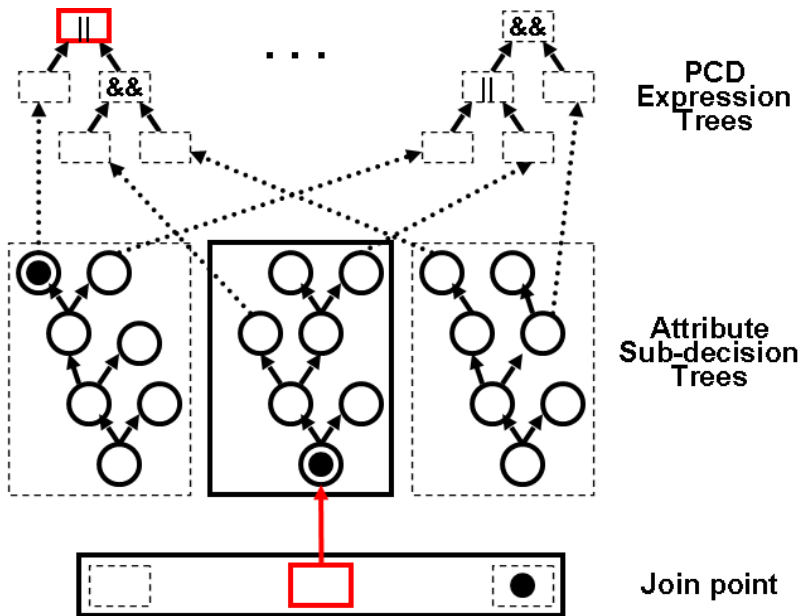


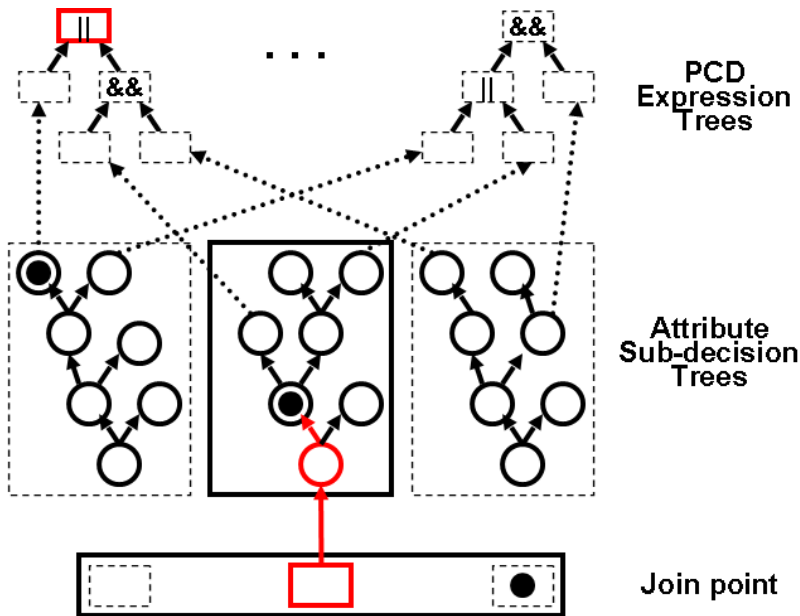


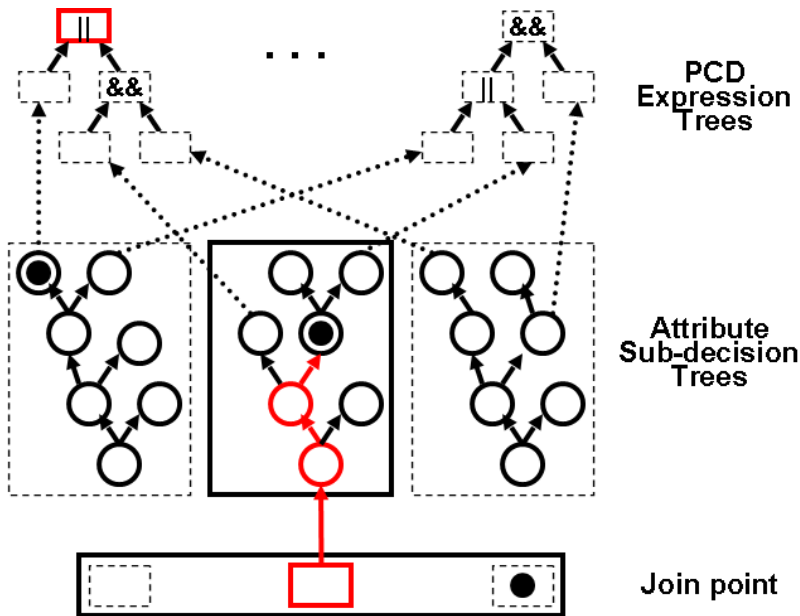


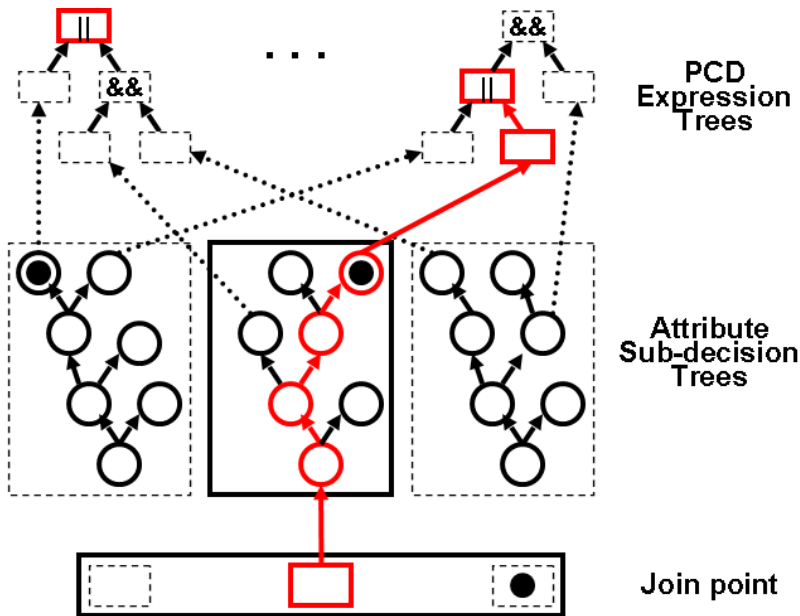


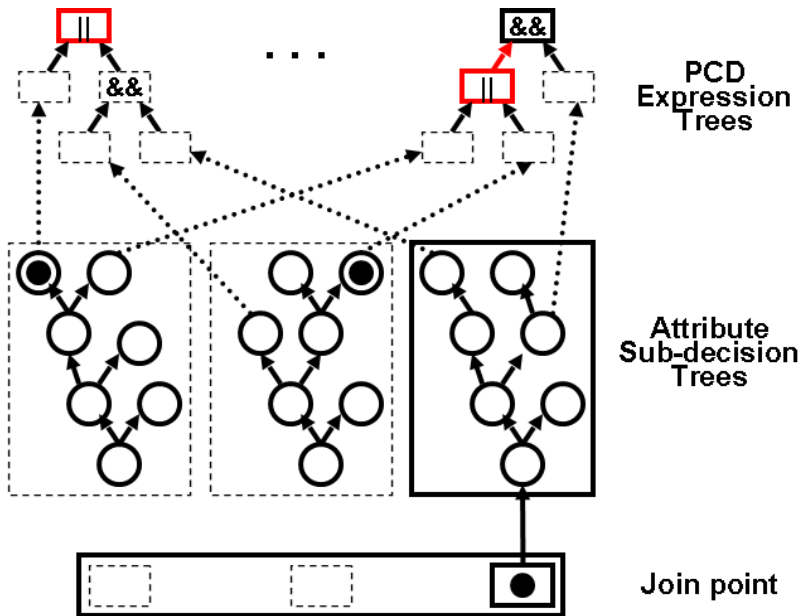


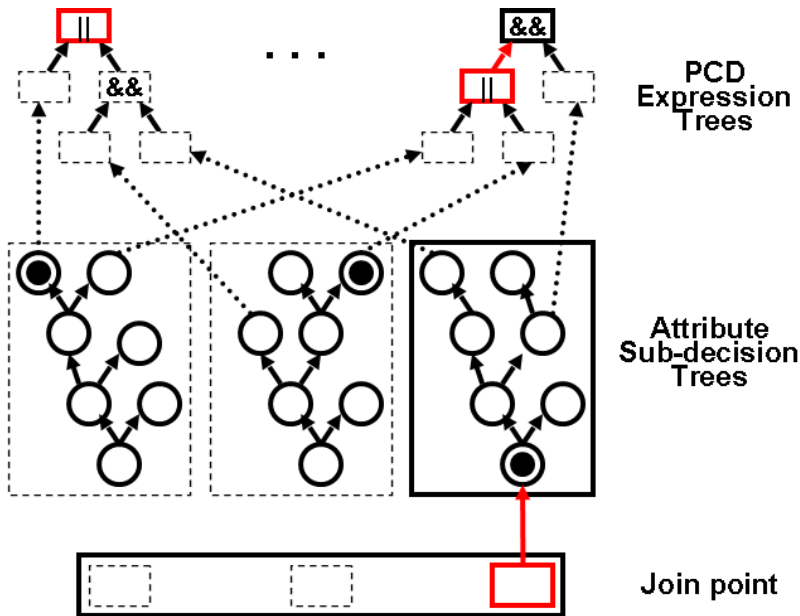


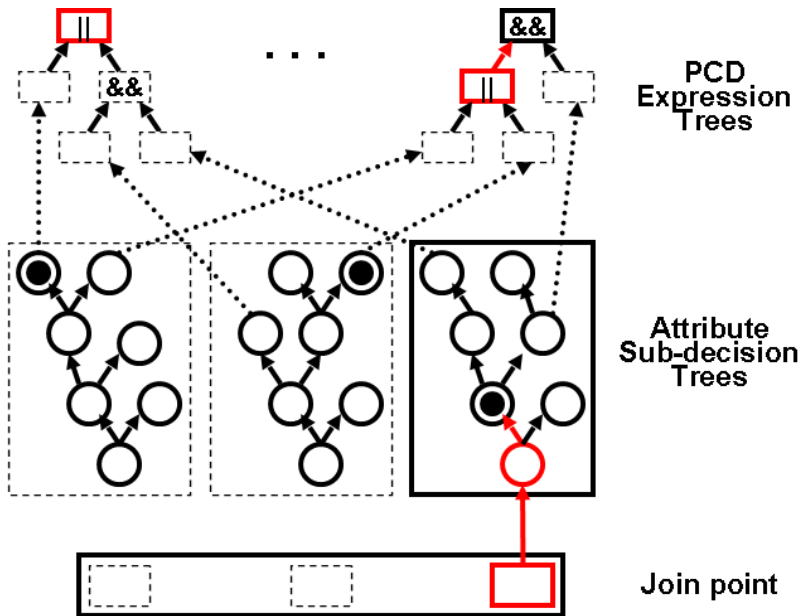


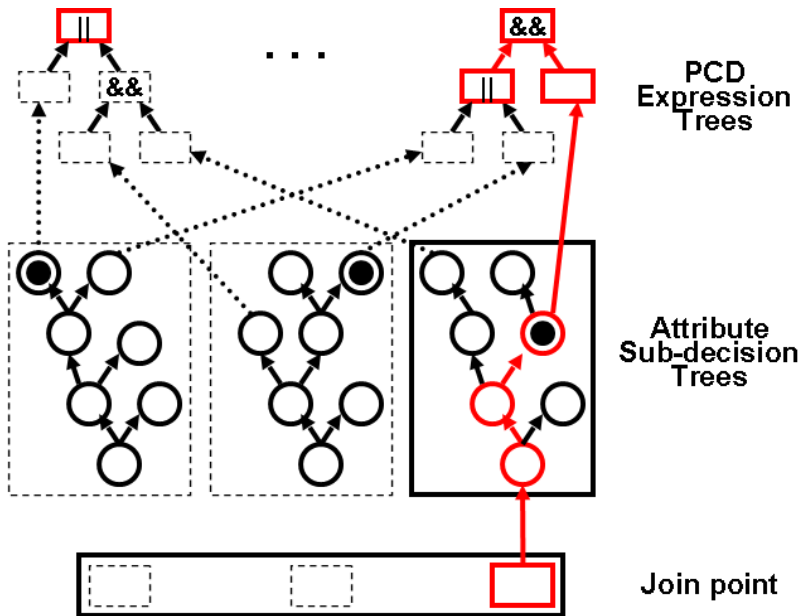


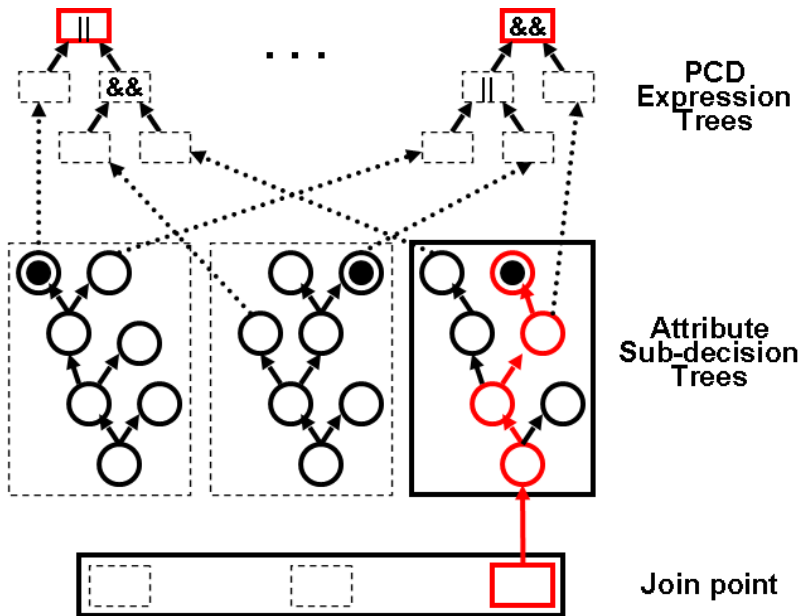












- ▶ Goal: Reduce size of decision-trees
- ▶ Idea: Partially evaluate predicates

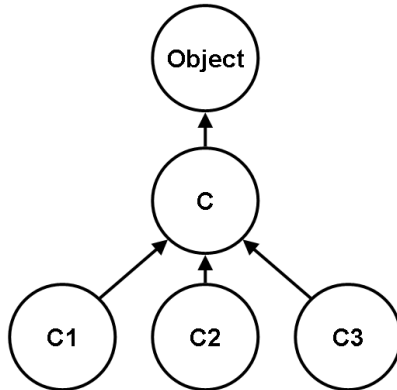
- ▶ Known: $B \triangleleft C$
- ▶ Evaluate: $A \triangleleft B, A \triangleleft C$

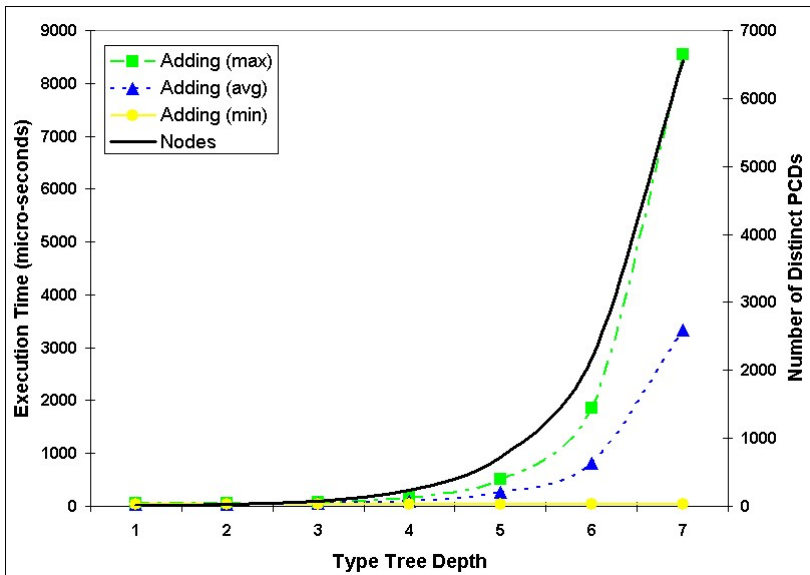
- ▶ Known: $B \triangleleft C$
- ▶ Evaluate: $A \triangleleft B, A \triangleleft C$
- ▶ $A \triangleleft B \wedge B \triangleleft C$

- ▶ Known: $B \triangleleft C$
- ▶ Evaluate: $A \triangleleft B, A \triangleleft C$
- ▶ $A \triangleleft B \wedge B \triangleleft C \rightarrow A \triangleleft C$

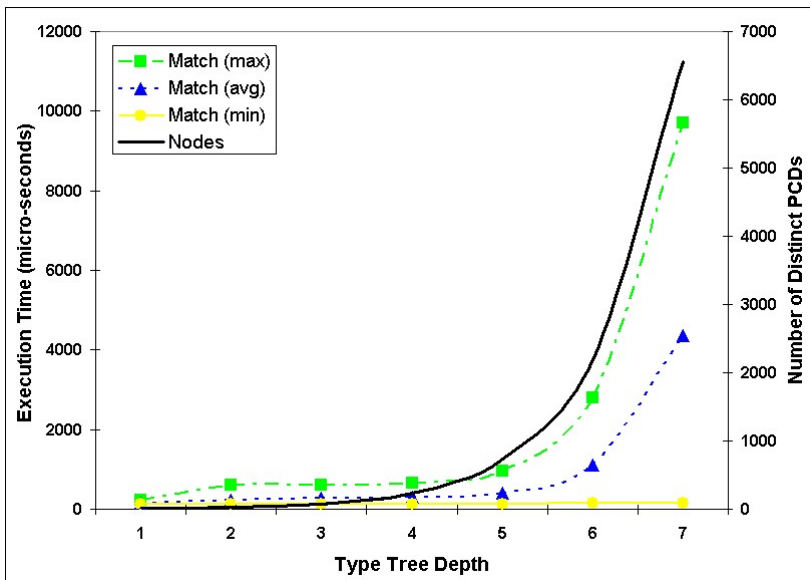
- ▶ Known: $B \triangleleft C$
- ▶ Evaluate: $A \triangleleft B, A \triangleleft C$
- ▶ $A \triangleleft B \wedge B \triangleleft C \rightarrow A \triangleleft C$
- ▶ Partially Evaluate: $A \triangleleft B$

- ▶ Created implementation in Nu virtual machine
- ▶ Bind and Remove primitives for deploying/un-deploying advice
- ▶ Synthetic micro-benchmark
 - ▶ Measures time to Bind (add to trees) and match
 - ▶ Varies type hierarchy depth





Old matching code - ($\sim 40\mu$ s constant)



Old matching code - average case 3-50x slower
 worst case 3-88x slower

Related Work

- ▶ Efficient Matching Techniques
- ▶ Dynamic Residue Evaluation
- ▶ Partial Evaluation Techniques

Future Work

- ▶ Example Implementation(s)
- ▶ Real-world Evaluations

- ▶ Motivation: Dynamic PCD Evaluation
 - ▶ PCDs arrive dynamically
 - ▶ PCDs might be removed later
 - ▶ Matching the whole (loaded) system against a PCD is too slow
- ▶ Approach: Decision-tree based Matching
 - ▶ Order evaluations based on cost
 - ▶ Partially evaluate wherever possible
- ▶ Technical Contributions:
 - ▶ Formalization of the PCD Evaluation problem
 - ▶ Algorithms using Decision-tree structures for faster matching
 - ▶ Use of implication relationships for partial evaluation of type predicates

Questions?

`http://www.cs.iastate.edu/~nu/`

C.run
C1.run
C2.run
C3.run
..

```
class C {  
    public static void run() {  
        measure { Bind.. // to methods returning C1 }  
        measure { Bind.. // to methods returning C2 }  
        measure { Bind.. // to methods returning C3 }  
  
        measure { C1.testMethod }  
        measure { C2.testMethod }  
        measure { C3.testMethod }  
    }  
    public C testMethod() { return NULL }  
}
```